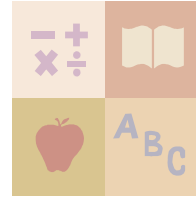


DSU Algebra/Geometry Summer Institute

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Sixth Grade



1. Teaching Objective(s)

At the end of this lesson the student will be able to write composite numbers as a product of prime numbers.

The students have already covered material on Divisibility Rules

2. Instructional Activities

The teacher will have the following problem on the board or overhead screen.

List factors for the following numbers

(a) 27 (b) 17 (c) 8

The instructor will discuss the problems with the students.

The factors of 27 are (1,3,9,27).

The factors of 17 are (1, 17).

The factors of 8 are (1, 2, 4, 8).

The instructor will talk about the number 17, and ask students if they know of other numbers that have only 2 factors. After students give examples of these numbers, the instructor will introduce the definition of prime numbers, composite numbers, and divisible.

Prime Number – is a whole number greater than 1 that has exactly two factors, 1 and itself.

Composite Number – is whole number greater than 1 that has more than two factors.

Divisible - a whole number is divisible by another number if the second number is a factor of the first number¹.

The teacher will revisit the Divisibility Rules for the following numbers:

- 2 – If the digit in the ones place is even.
- 3 – If the sum of the digits is divisible by 3.
- 4 – If the number formed by the last two digits is divisible by 4.
- 5 – If the digit in the one place is 5 or 0.

The emphasis will be on the prime numbers 2, 3, and 5. This is due to the fact that the teacher will encourage students to use prime numbers to do prime factorization lesson.

The students will work on the following problems. This is to reinforce the divisibility rules stated above.

1. Determine if 1024 is divisible by 2, 3, 4, or 5.
2. Determine if 813 is divisible by 3.

The teacher will introduce the topic on **prime factorization**. Prime factorization is the representation of a composite number as a product of prime factors. For an example,

$$8 = 2 \cdot 2 \cdot 2 = 2^3 \text{ is the prime factorization of 8.}$$

$$8 = 2 \cdot 4 \text{ is not prime factorization of 8, because 4 is not prime number.}$$

Example:

Find the prime factorization of 144.

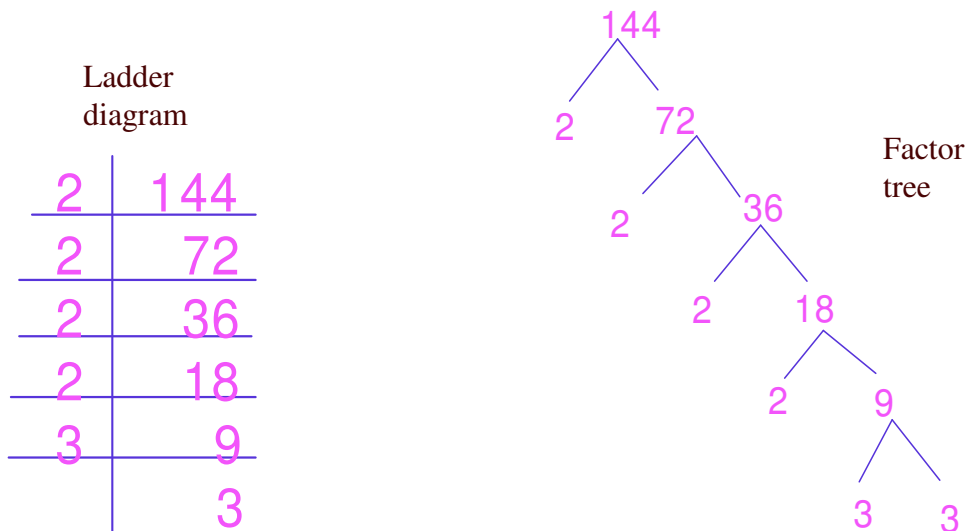
Solution:

What is the smallest prime number that can divide 144 evenly?

From our divisibility rule, we know that $144 = 2 \cdot 72$

We also know that $72 = 2 \cdot 36$, $36 = 2 \cdot 18$, $18 = 2 \cdot 9$, and $9 = 3 \cdot 3$.

Another way to represent this is with a factor tree or a ladder diagram.



The above diagrams tells the prime factorization of $144 = 2 \cdot 2 \cdot 2 \cdot 2 \cdot 3 \cdot 3 = 2^4 \cdot 3^2$

4. Assessment

Students will be assessed on the following problems.

1. 288 (Purpose to see if students can immediately relate to 144 above)
2. 81 (Check the application of divisibility rules)
3. 125
4. 47